



Planck

&

The Epoch of Reionization

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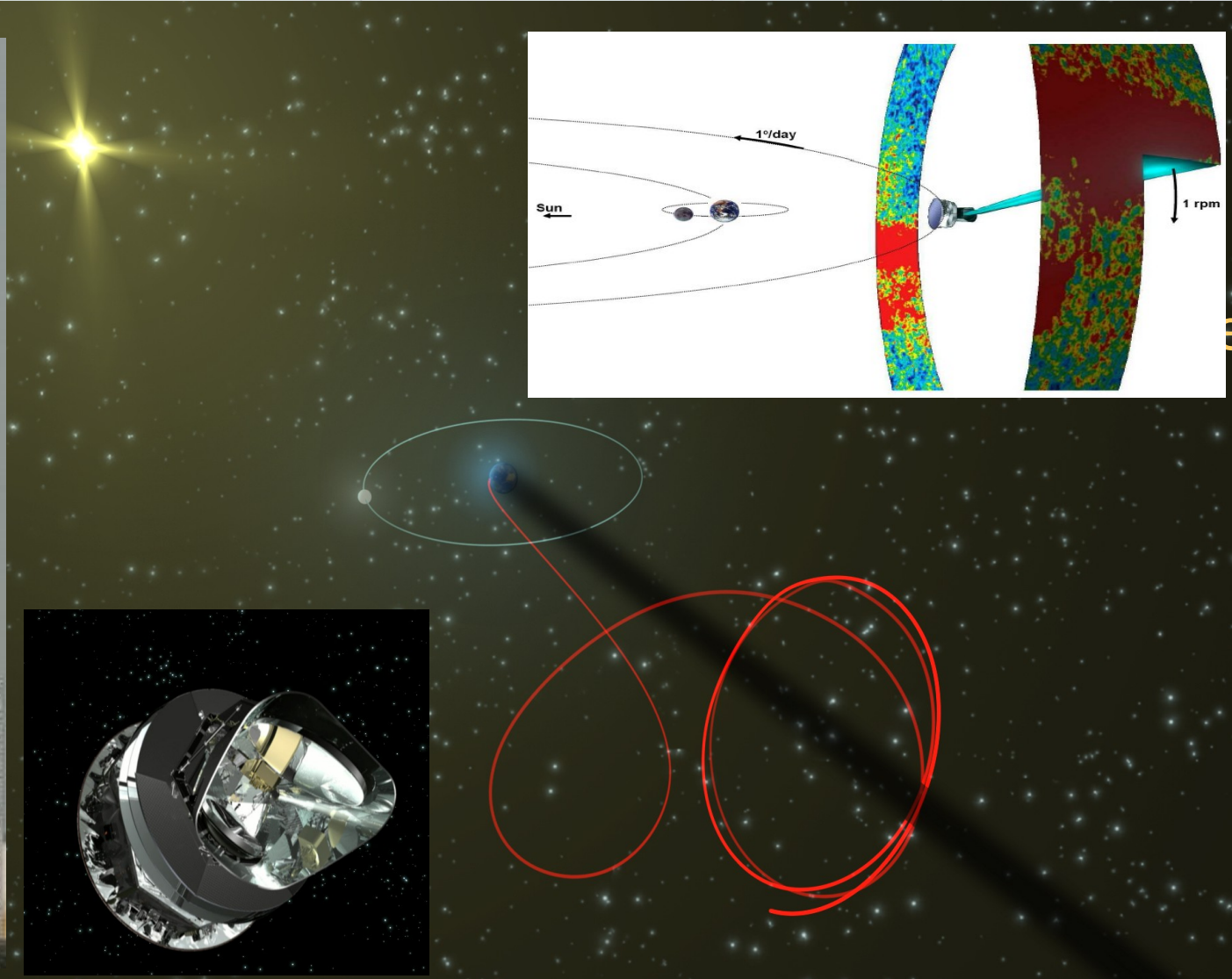
Outline

- Planck status
- Planck and EOR
- EOR with Planck and 21cm



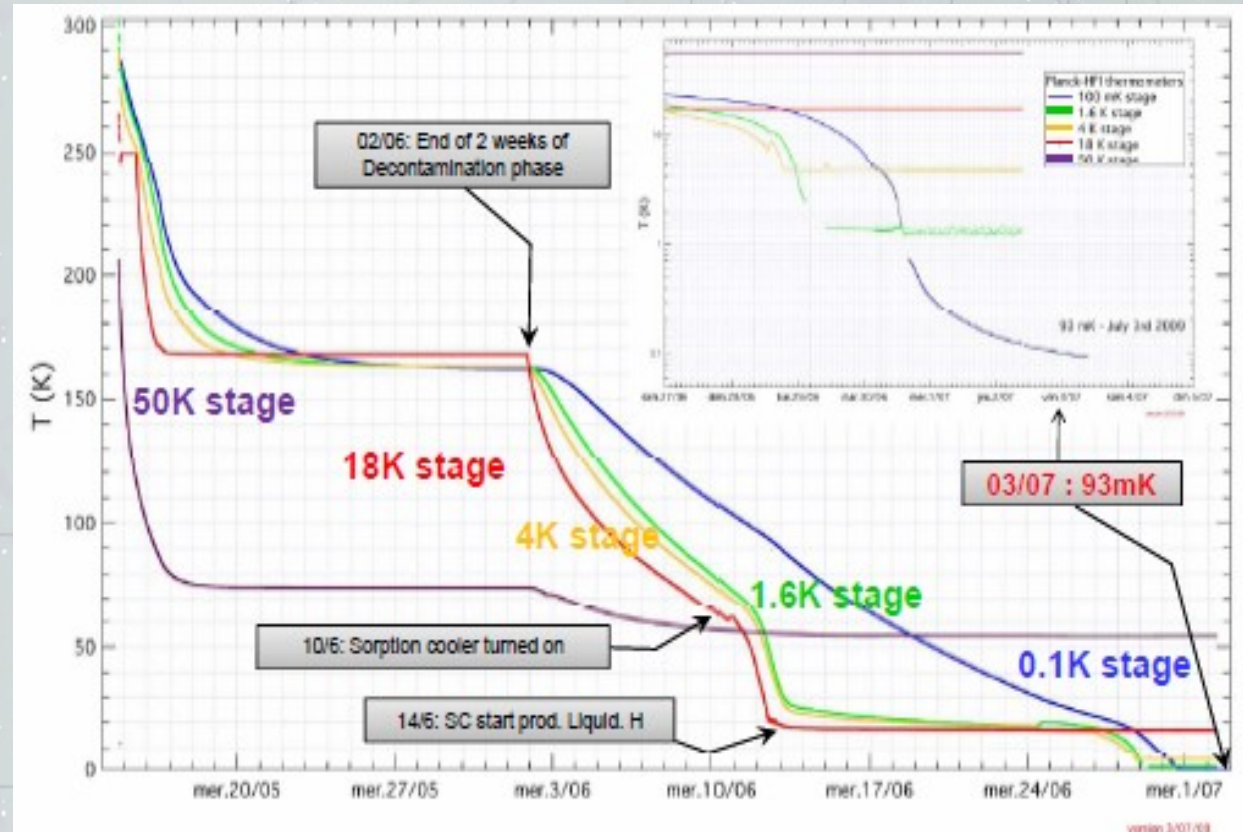
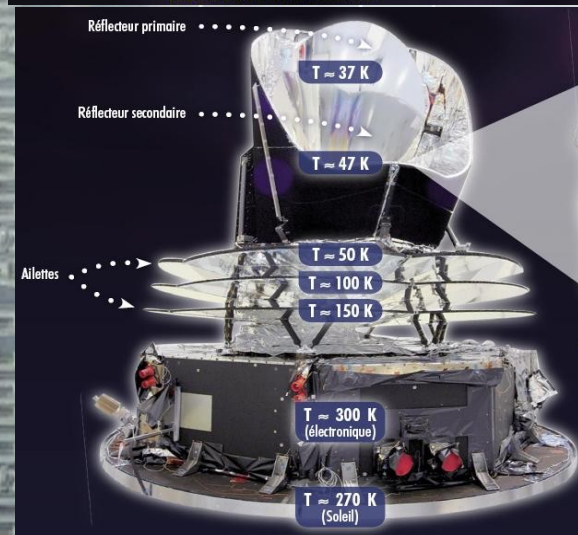
Planck Status

14 May 2009



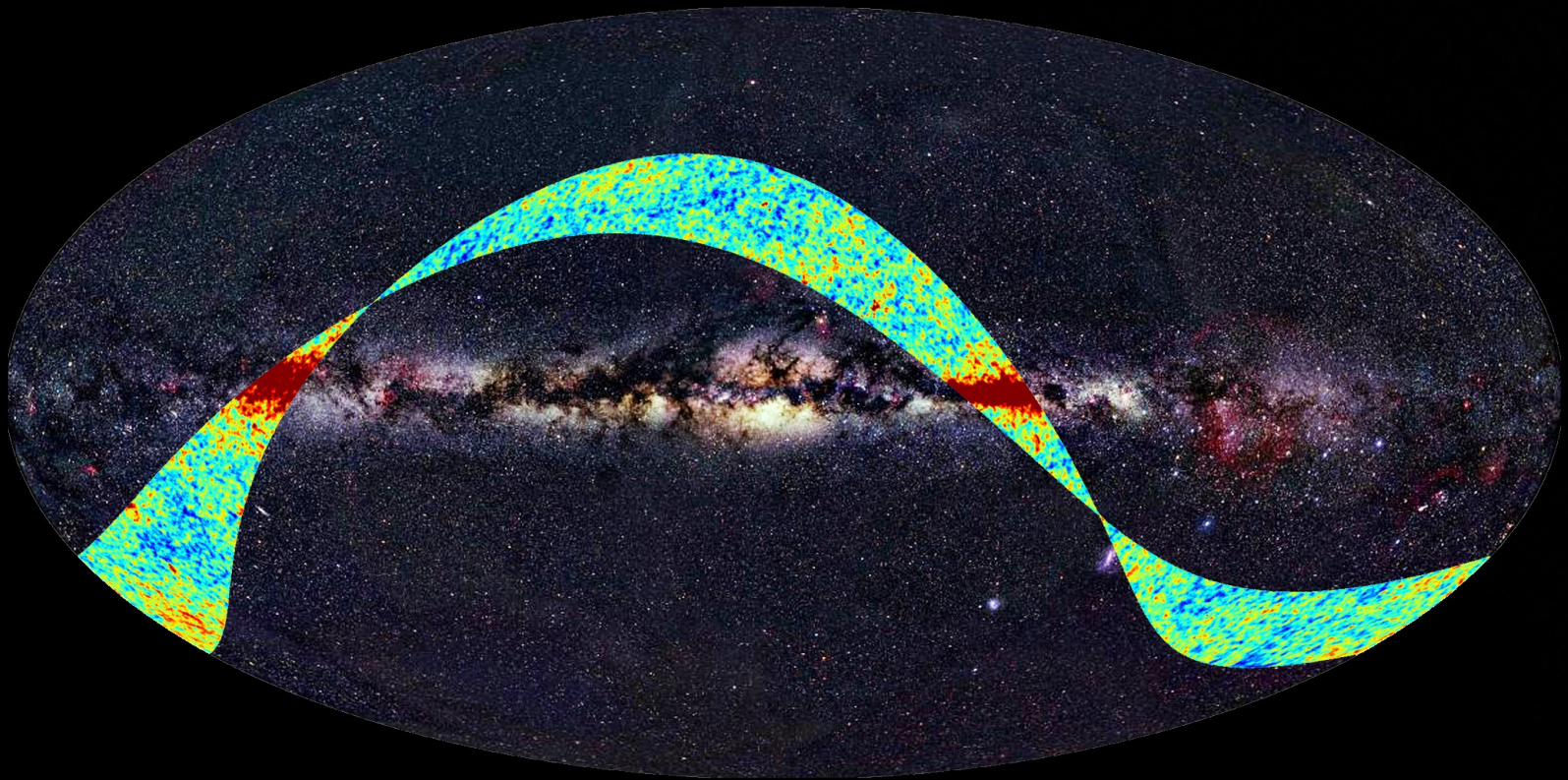
Planck Status

- All stages are very stable
- Sensitivity is as expected



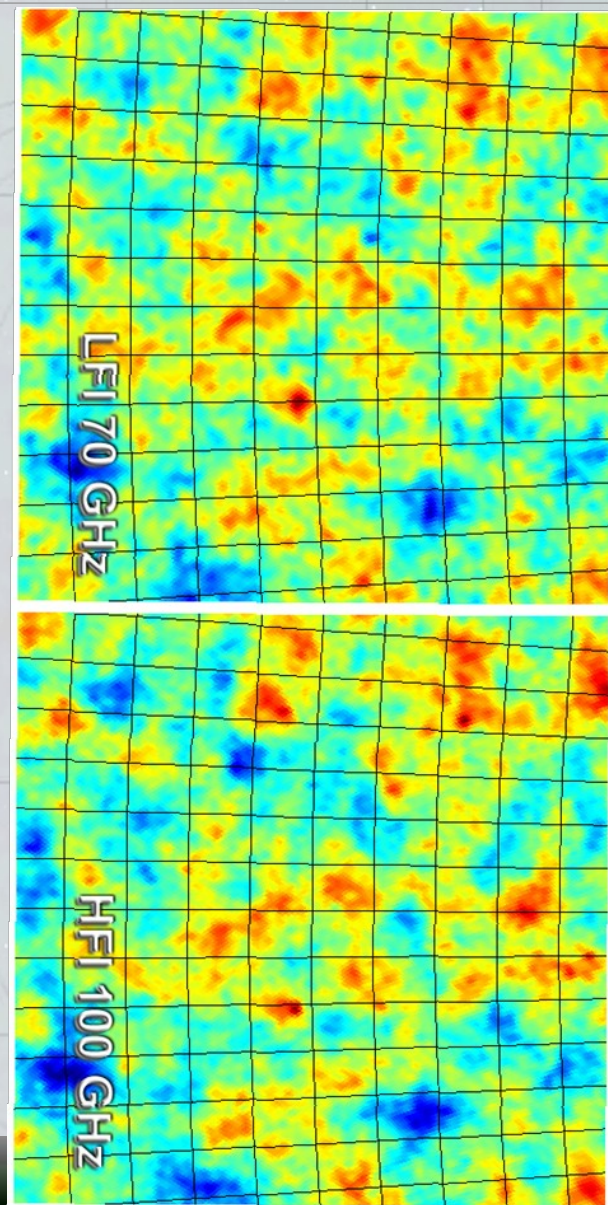
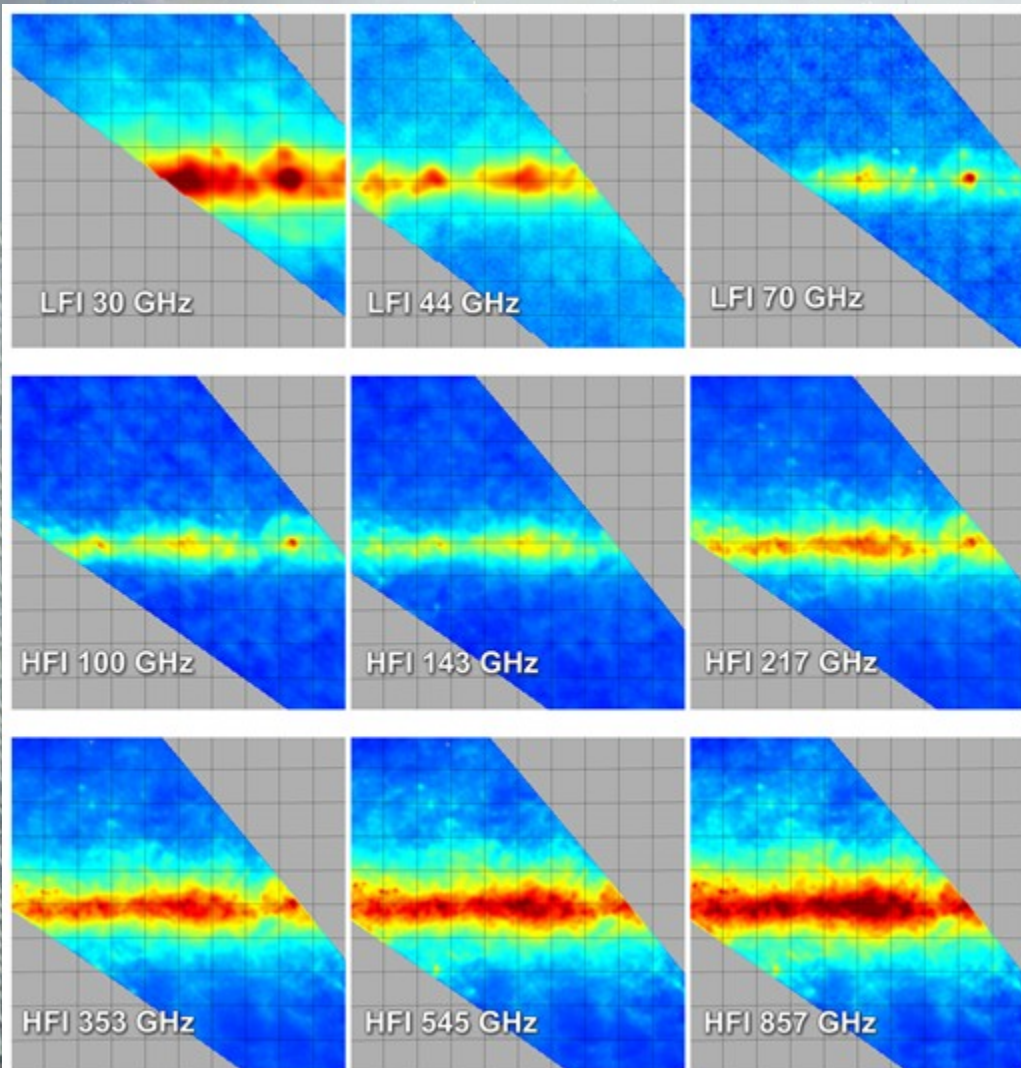
Planck first light

- From August 11th to 26th : First Light Survey
- From August 26th : Survey routine mode



Press release, ESA/HFI/LFI 17/09/2009 (credit:ESA, LFI&HFI consortium (Planck) Background image: Axel Mellinger)

Planck first light

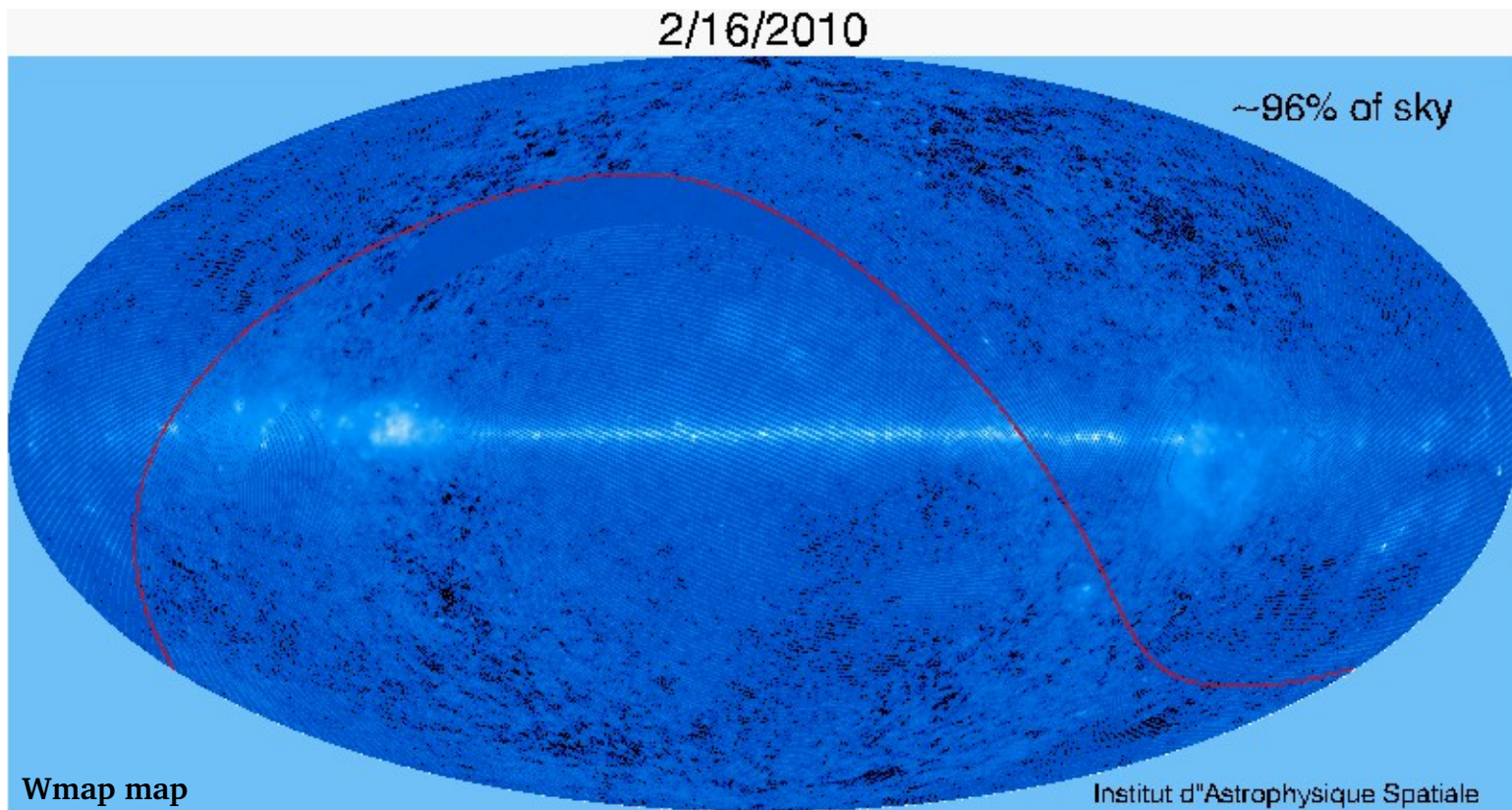


Press release, ESA/HFI/LFI 17/09/200

Planck Status

From of August 26th : Survey routine mode

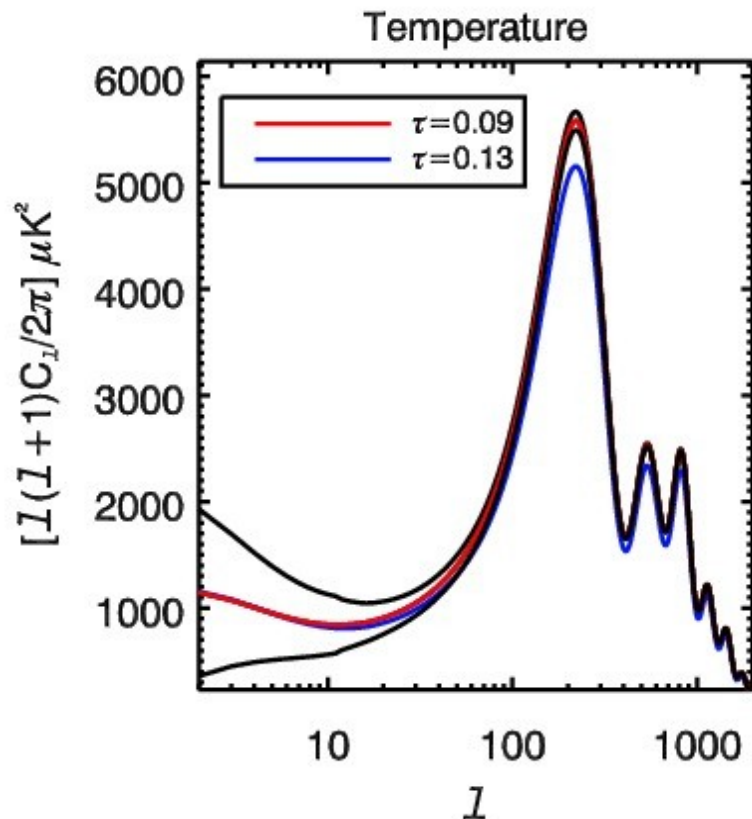
Today : end of the First Survey (96% of the sky) / 5 possible



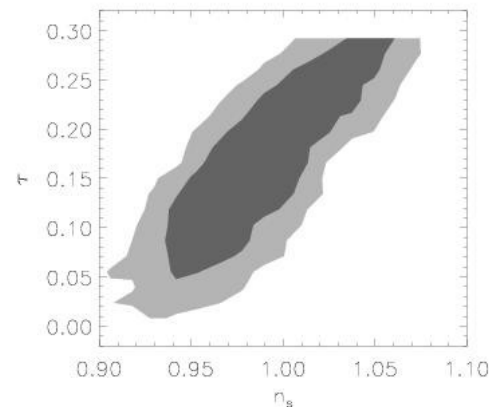
Planck and EOR

- In CMB studies:
 - instantaneous reionisation usually assumed
 - reionisation effects often summarised with one parameter τ : optical depth
- 2 main effects
 - Damping small scales in Temperature
 - Bump and damping in Polarisation
- Other weak small scales effects

Planck and EOR (T)



- Damping by $\exp(-2 \tau)$

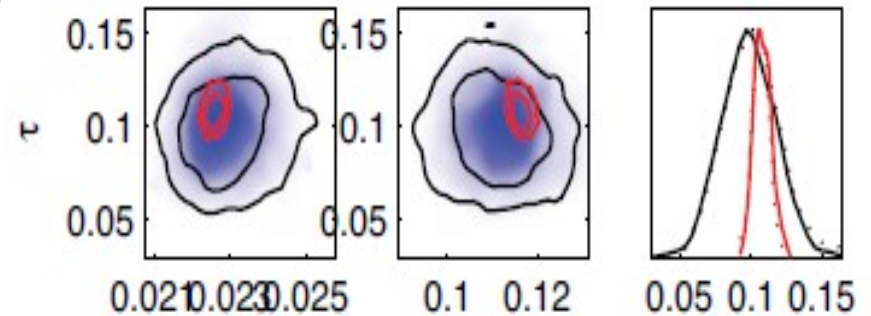
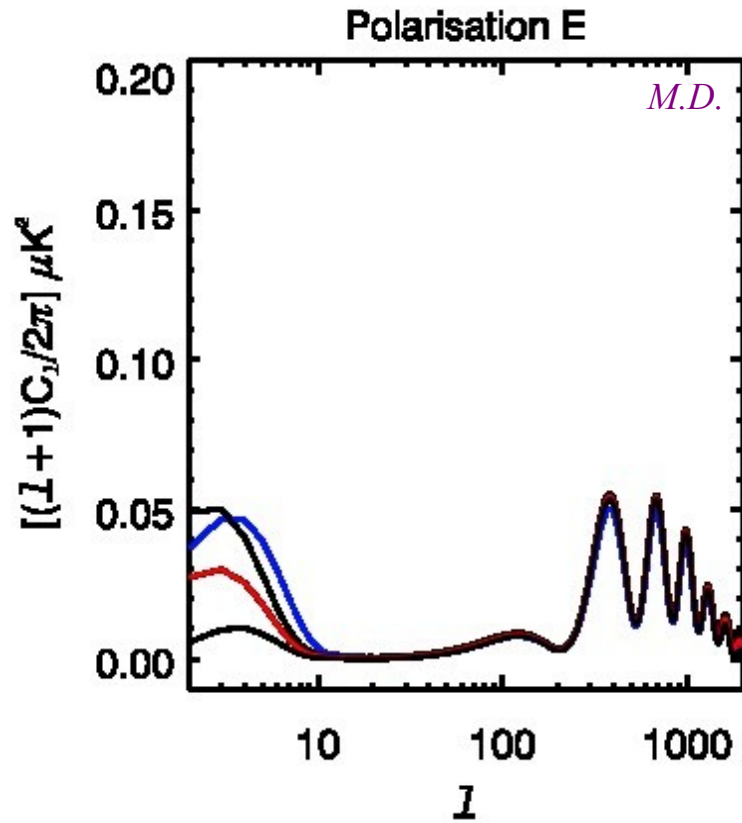


Spergel et al. 2003 WMAP 1

- Degeneracies with n_s & $\Omega_b h^2$ if T only

Planck and EOR (P)

- Break degeneracies on τ



Planck BlueBook

- Extra information from shape of bump on history of reionization

(Kaplinghat et al 03, Hu & Holder 03)

Planck and EOR

- More info than τ is maybe available
 - Reconstruction of the ionisation fraction x_e
 - Reconstruction of the visibility function

$$\begin{aligned}\tau(z) &= \sigma_T c \int_{t(z)}^{t_0} n_e(t) dt \\ &= 0.88 \sigma_T c n_b(0) \int_0^z \frac{(1+z)}{H(z)} x_e(z) dz\end{aligned}$$

$x_e(z)$ = Fraction of free electrons

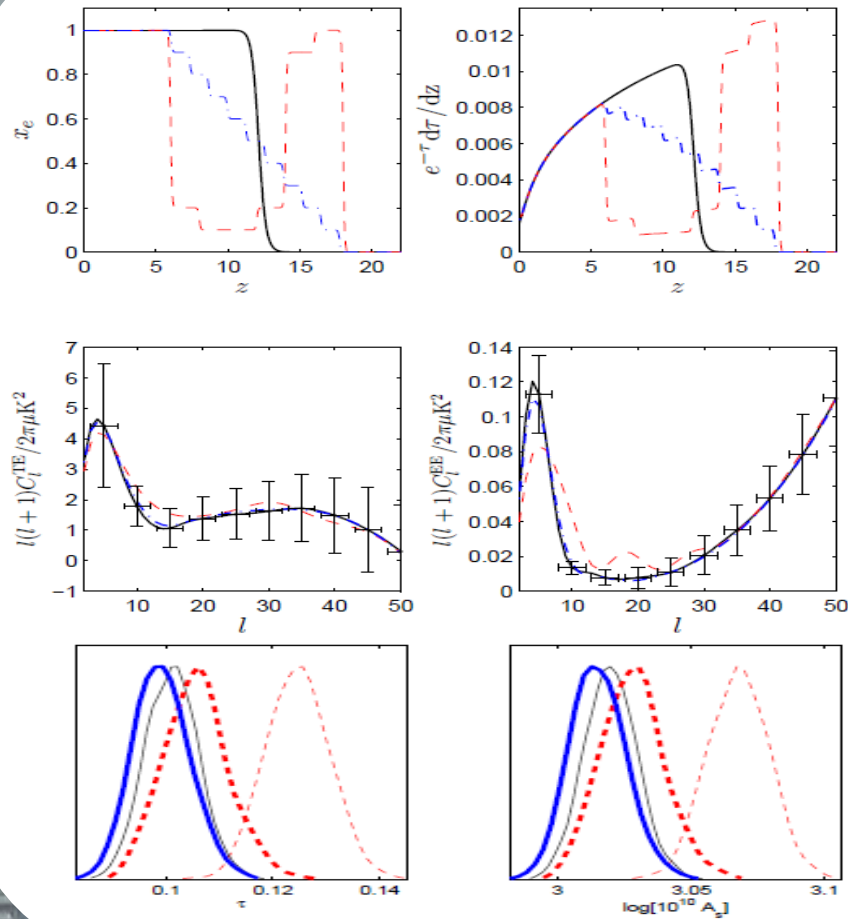
$$v(z) = \frac{d\tau}{dz} \exp[-\tau(z)] \text{ - Visibility function}$$

$$\tau_{\text{reion}} \propto (1+z_{\text{re}})^{3/2} - 1$$

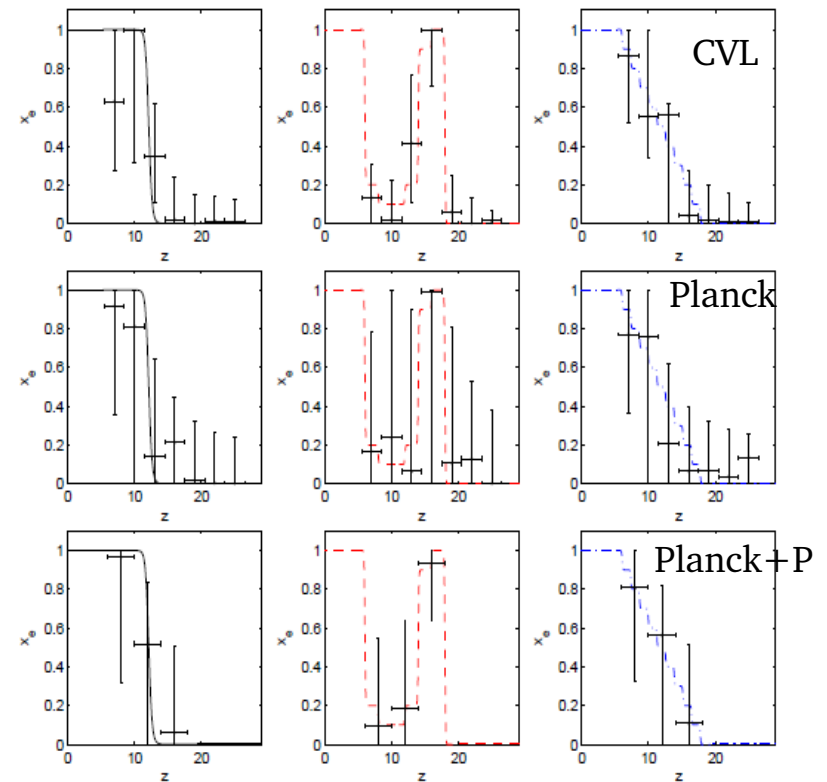
If instantaneous reionisation is assumed

Planck and EOR

Ionisation fraction in bins



$$x_e(z) = x_i, \quad z_i - \frac{\Delta z}{2} < z < z_i + \frac{\Delta z}{2}$$



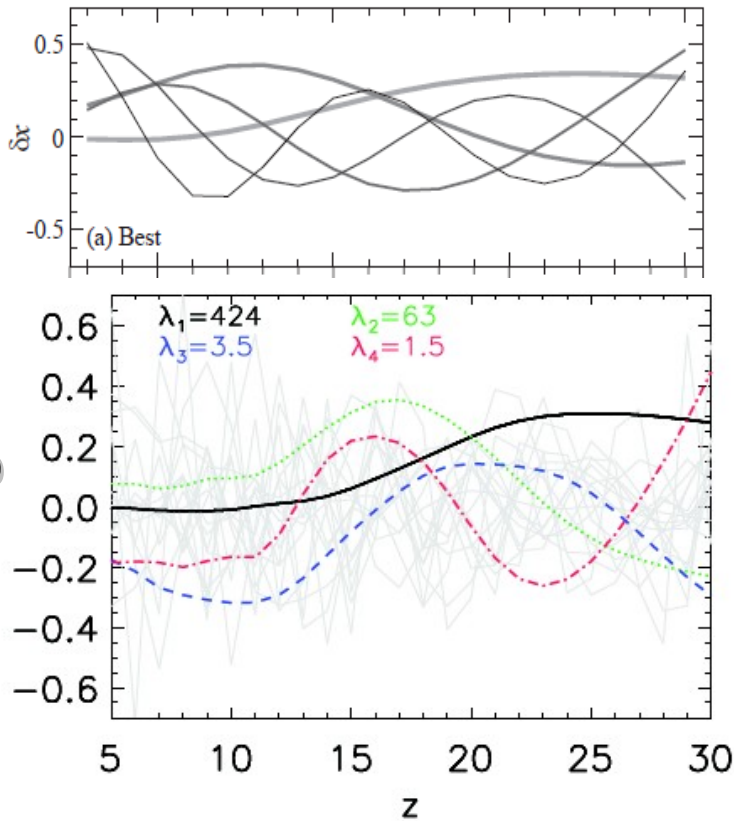
Lewis Weller Battye 06

Planck and EOR

Ionisation fraction in Principal Component Analysis

Hu & Holder 03

Eigenvectors

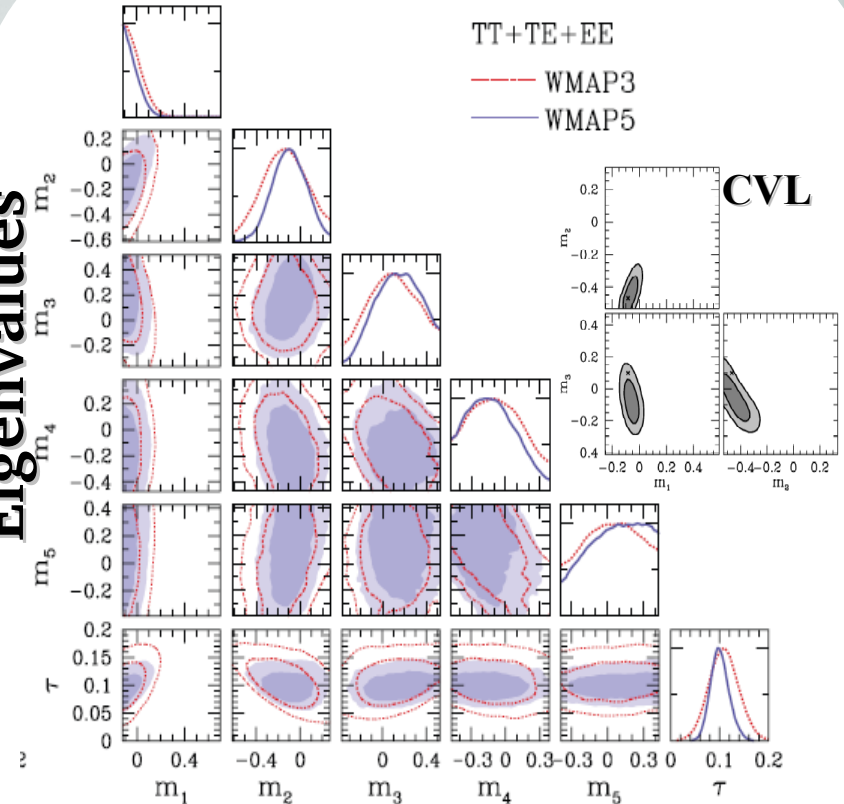


CVL

Planck

Weller & Battye, ongoing work in Planck WG5

Eigenvalues



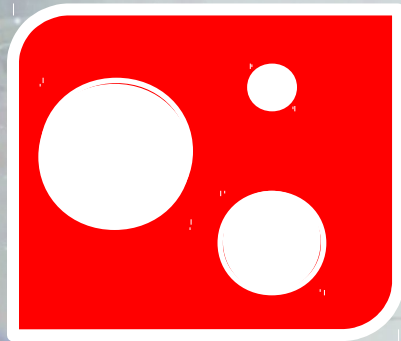
Mortonson & Hu 08

Planck and 21cm

CMB photons scatter off ionised bubbles produced @ the EoR

- secondary CMB anisotropies thermal SZ effect, kinetic SZ effect & imprint on polarisation

kSZ – EoR map “should” anti-correlate



**EoR
map**
 $\delta T_{\text{EoR}} \sim n_{\text{H}}$



**kSZ
map**
 $(\delta T/T)_{\text{kSZ}} \sim n_{\text{e}}$

$n_{\text{e}} \cong 1 - n_{\text{H}}$
Anti-correlation !

21-cm experiments (e.g. 21CMA, LOFAR, MWA & SKA)

Planck & 21cm

Secondary anisotropies from Kinetic SZ

$$\left(\frac{\delta T}{T}\right)_{\text{kSZ}} = -\sigma_T \bar{n}_{\text{H}(0)} \int \frac{(1+z)^2}{H} e^{-\tau} \bar{\chi}_e \cdot (1 + \delta + \delta_{\chi_e} + \delta\delta_{\chi_e}) v_r dz$$

$$C_\ell^{E-21}(z_{\text{obs}}) = \langle a_{\ell m}^E a_{\ell m}^{21}(z_{\text{obs}}) \rangle$$

Cross-correlation
21cm-CMB (P & T)

$$C_l^{21-D}(z) = \langle a_{lm}^{21}(z) a_{lm}^{D*} \rangle$$

theoretical approach + simulations

$$\delta T_b = 26 \text{ mK } \bar{x}_{\text{HI}} (1 + \delta + \delta_{x_{\text{HI}}} + \delta\delta_{x_{\text{HI}}}) F(T_s)$$

21 cm transitions of HI { Absorb 21cm line from CMB for $T_{\text{cmb}} > T_g$
Emit 21cm line to CMB for $T_g > T_{\text{cmb}}$

21cm – CMB (T) - theo.

Signal to Noise ratio analysis @ large scale *(Tashiro et al. 2008, 2009)*

$$\left(\frac{S}{N}\right)^2 = f_{\text{sky}} \sum_{\ell=\ell_{\min}}^{\ell_{\max}} (2\ell+1) \frac{|C_{\ell}^{21-\alpha}|^2}{|C_{\ell}^{21-\alpha}|^2 + (C_{\ell}^{21} + N_{\ell}^{21})(C_{\ell}^{\alpha} + N_{\ell}^{\alpha})} \quad \alpha = D \text{ or } E$$

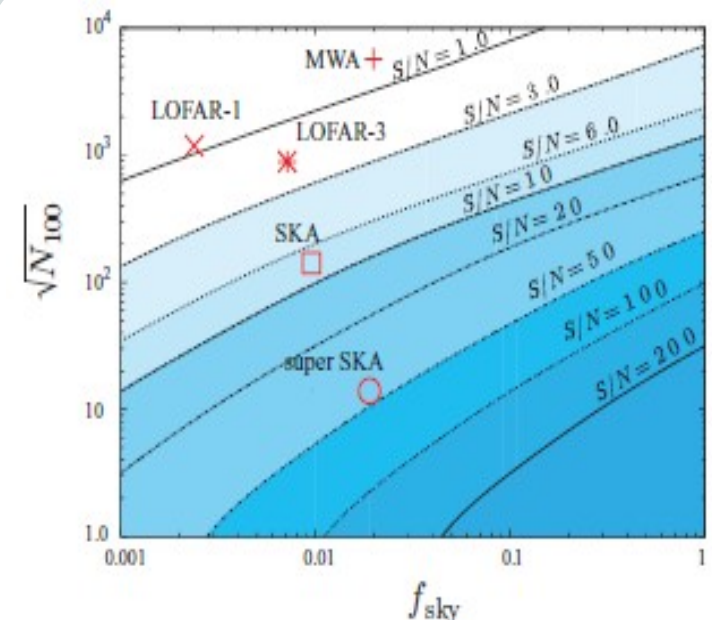
- CMB noise
 - Primordial CMB+planck noise
- 21cm noise
 - Experimental noise:

$$\frac{\ell^2 N_{\ell}^{21}}{2\pi} = \left(\frac{\ell}{100}\right)^2 \frac{1}{t_{\text{obs}} \Delta\nu} \left(\frac{100\ell_{\max}}{2\pi} \frac{\lambda^2}{A/T}\right)^2$$

A/T is the sensitivity

t_{obs} is the total integration time

$\ell_{\max} = 2\pi \frac{D}{\lambda}$ is the maximum multipole



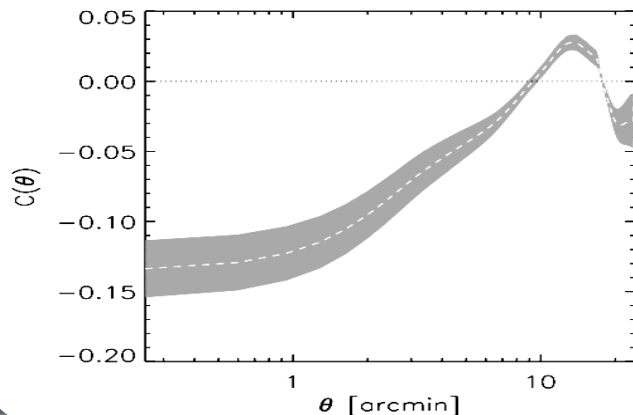
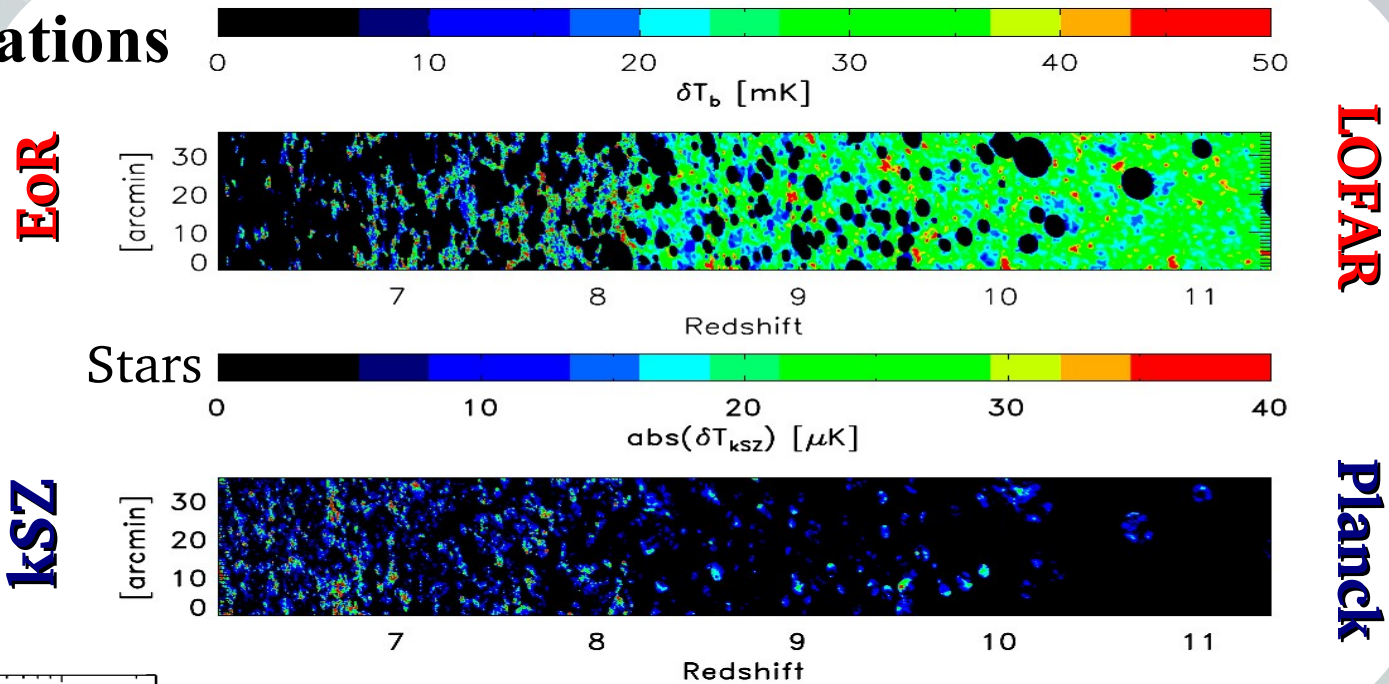
$(\Delta z=0.01, z_{\text{re}}=10, z_{\text{obs}}=10)$

Signal stronger for short reionisation.

21cm – CMB (T) - simu.

Coherent simulations

Jelic et al. 2009
Thomas et al 2008



$$C(0) = -0.16 \pm 0.02 \text{ (without primary CMB)}$$

$$C(0) = 0.0 \pm 0.3 \text{ (with primary CMB = noise)}$$

CMB is the main noise for cross-correlation at small scale

Conclusions

- First order effects (bump & damping) will be well measured by Planck leading to strong constraints on τ
- Reionisation history will be harder to determine in detail (3-4 indep. components)
- Cross correlation with 21cm may be helpful but really hard (few σ for LOFAR now, better with SKA soon)
- Planck is starting its 2^d survey of the sky